

## COURSE OUTLINE

### (1) GENERAL

<b>SCHOOL</b>	SCHOOL OF INFORMATION SCIENCES & TECHNOLOGY		
<b>ACADEMIC UNIT</b>	DEPARTMENT OF STATISTICS		
<b>LEVEL OF STUDIES</b>	1st Cycle (UNDERGRADUATE)		
<b>COURSE CODE</b>	6051	<b>SEMESTER</b>	1 <sup>st</sup>
<b>COURSE TITLE</b>	Linear Algebra I		
<b>INDEPENDENT TEACHING ACTIVITIES</b>		<b>WEEKLY TEACHING HOURS</b>	<b>CREDITS</b>
Lectures		4	7,5
Workshops		2	
Labs			
<b>COURSE TYPE</b>	Compulsory – Scientific Field		
<b>PREREQUISITE COURSES:</b>			
<b>LANGUAGE OF INSTRUCTION and EXAMINATIONS:</b>	GREEK		
<b>IS THE COURSE OFFERED TO ERASMUS STUDENTS</b>	NO		
<b>COURSE WEBSITE (URL)</b>	<a href="https://www.dept.aueb.gr/en/stat/content/linear-algebra-i-75-ects">https://www.dept.aueb.gr/en/stat/content/linear-algebra-i-75-ects</a>		

### (2) LEARNING OUTCOMES

<b>Learning outcomes</b>
In depth understanding of the concepts introduced in the course, so that the students can answer questions demonstrating this understanding, obtaining a geometric insight in concepts such as projection, and finally, applying this knowledge to solving exercises such as: obtaining the LDU factorization of a matrix, inverting a matrix and calculating a projection matrix.
<b>General Competences</b>
<ul style="list-style-type: none"> <li>• Independent work</li> <li>• Promoting free, creative and inductive thinking</li> </ul>

### (3) SYLLABUS

Elements and calculus in $R^n$ , lines and planes in $R^n$ . Matrices and matrix multiplication, Elementary matrices. Linear systems: The Gauss algorithm and the factorization $PA=LDU$ . Inverse and transposed matrices, the algorithm Gauss-
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Jordan. Symmetric matrices and the Cholesky factorization. Vector spaces and subspaces. Linear systems: the solution of  $m$  equations with  $n$  unknowns and the rank of a matrix. Linear independence, bases and dimension. The four fundamental subspaces of a matrix. The fundamental theorem of Linear Algebra. Linear transformations of  $\mathbb{R}^n$  and matrices. Orthogonal subspaces, and orthogonal complement of a subspace. Projections and least squares approximations. Projections.

#### (4) TEACHING and LEARNING METHODS - EVALUATION

<b>DELIVERY</b> <i>Face-to-face, Distance learning, etc.</i>	Face-to-face	
<b>USE OF INFORMATION AND COMMUNICATIONS TECHNOLOGY</b>	YES, Teaching through slides, eclass	
<b>TEACHING METHODS</b>	<b>Activity</b>	<b>Semester workload</b>
	Lectures	52
	Tutorial	26
	Self Study	109.5
	<b>Course Total</b>	<b>187.5</b>
<b>STUDENT PERFORMANCE EVALUATION</b>	Written examination at the end of the semester  Information is available at eclass	

#### (5) ATTACHED BIBLIOGRAPHY

<ul style="list-style-type: none"><li>• Gilbert Strang (1999), <i>Γραμμική Άλγεβρα και Εφαρμογές</i>, Πανεπιστημιακές Εκδόσεις Κρήτης.</li><li>• Lipschutz, S., Lipson MarcLars, <i>Γραμμική Άλγεβρα</i>, 5<sup>η</sup> Έκδοση, Εκδόσεις Τζιόλα, 2013.</li><li>• Ε. Ξεκαλάκη &amp; Ι. Πανάρετος (1993), <i>Γραμμική Άλγεβρα για Στατιστικές Εφαρμογές</i>, Αθήνα.</li><li>• Η. Φλυτζάνης (1999), <i>Γραμμική Άλγεβρα &amp; Εφαρμογές, Τεύχος Α: Γραμμική Άλγεβρα</i>, Το Οικονομικό.</li><li>• Γ. Δονάτος-Μ. Αδάμ (2008), <i>Γραμμική Άλγεβρα Θεωρία και Εφαρμογές</i>, Gutenberg.</li><li>• Graybill, F. A. (1969), <i>Introduction to Matrices with Applications in Statistics</i>, Wadsworth, Belmont, CA.</li><li>• Harville, D. A. (1997), <i>Matrix Algebra from a Statistician's perspective</i>, Springer.</li><li>• Healy, M.J.R. (1995), <i>Matrices for Statistics</i>, Oxford University Press.</li><li>• Searle, S. R. (1982), <i>Matrix Algebra Useful for Statistics</i>, Wiley.</li></ul>
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